

**Dr. Madhukarrao Wasnik P.W.S College Of Arts, Commerce  
And Science, Nagpur**

**Subject : Physics**

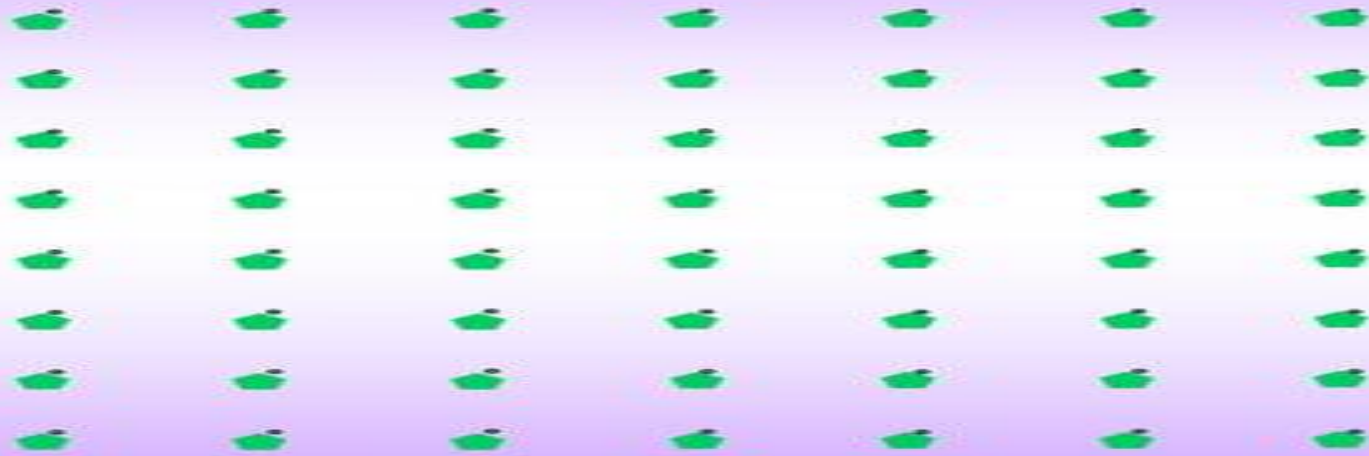
**B.Sc. – Second Year Semester IV  
Paper – I**

**UNIT - 1**

**Topic : Crystal Structure**

**Presented by: Ashwini Goure**

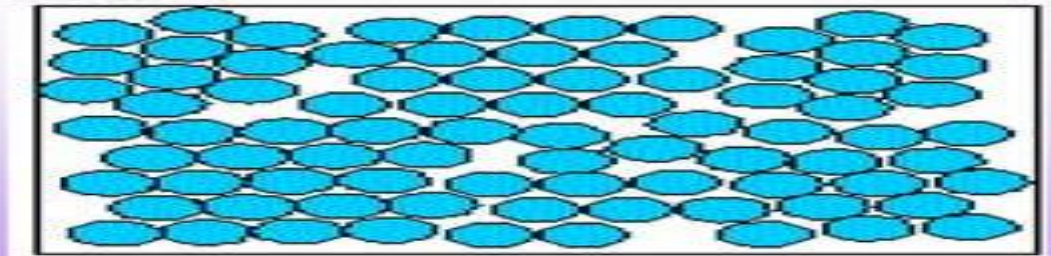
# *CRYSTAL STRUCTURE*



Crystal structure = **Lattice + Basis**

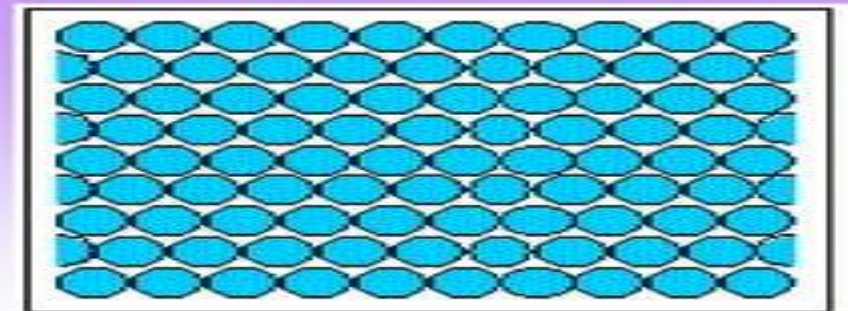
# CLASSIFICATION OF CRYSTAL

- Crystals are classified into two types
  1. Poly crystal
  2. Single crystal
- Poly crystal: In this type of crystal periodicity is not maintained throughout the body.



Polycrystal

- Single crystal: In this type of crystal periodicity is maintained throughout the body.



Single crystal

Unit cell:- " Atoms or group of atoms forming a building block of the smallest acceptable size of the whole volume of a crystal is defined as a unit cell ".

# Basic Of Crystal Structure

## ➤ Lattice:-

"An infinite periodic array of points in a space "

-The arrangement of points defines the lattice symmetry

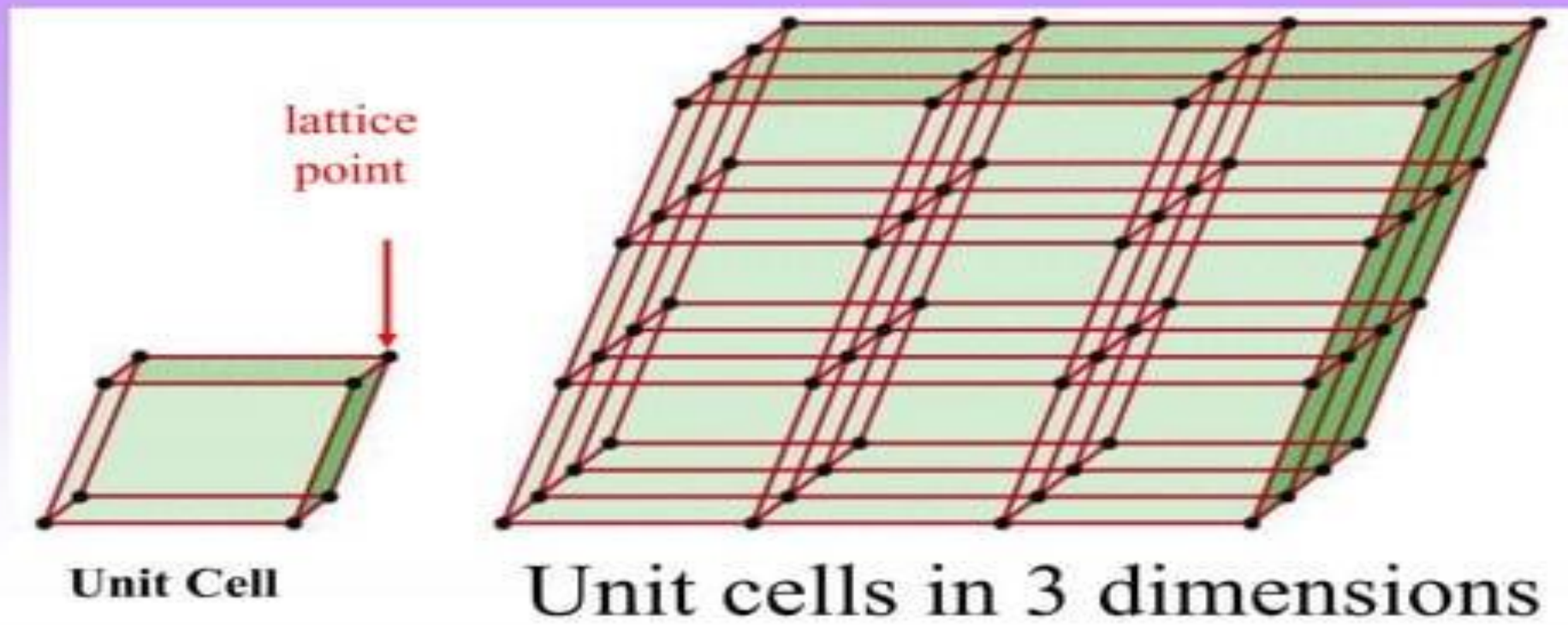
-A lattice may be one, two or three dimensional



## Basis(Motif):-

A group of one or more atoms, located in a particular way with respect to each other and associated with each point, is known as the Motif or Basis.

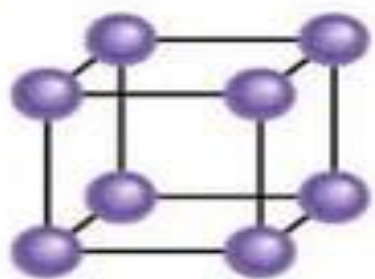




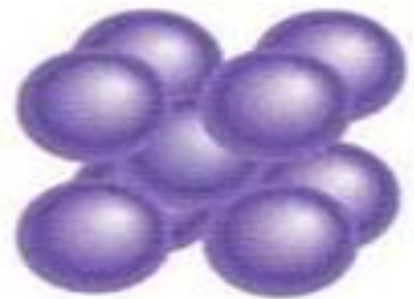
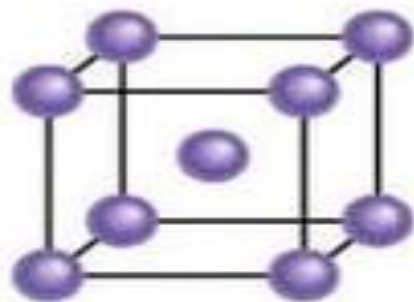
- By stacking identical unit cells, the entire lattice can be constructed.
- Lattice points are located at the corner of the unit cell and in some cases, at either faces or the centre of the unit cell.

- Here for the cubic crystal system we have Simple cubic (SC), Face-centred cubic (FCC), and Body-centred cubic (BCC).

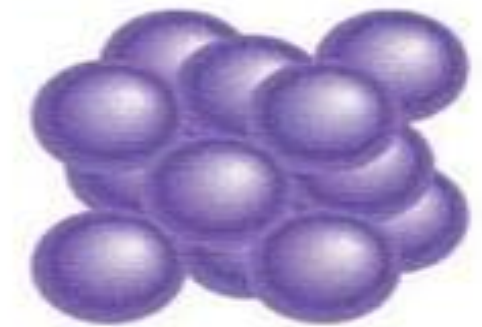
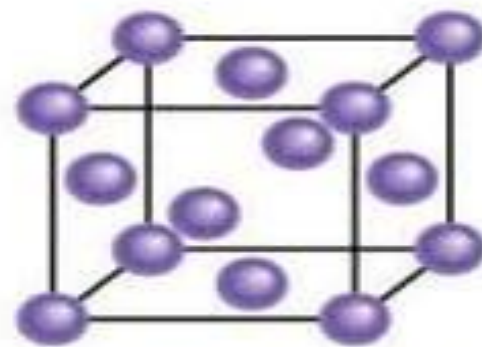
### Three Types of Cubic Cells



Simple cubic



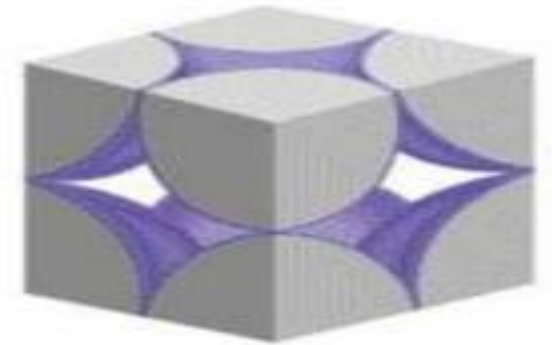
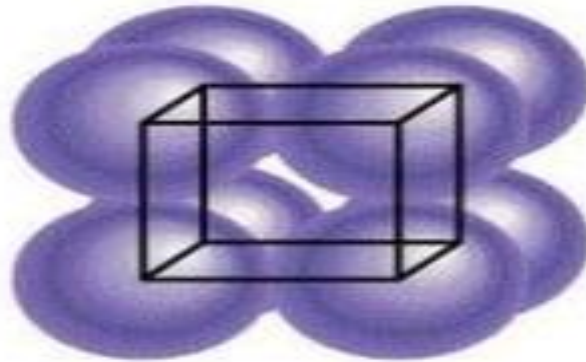
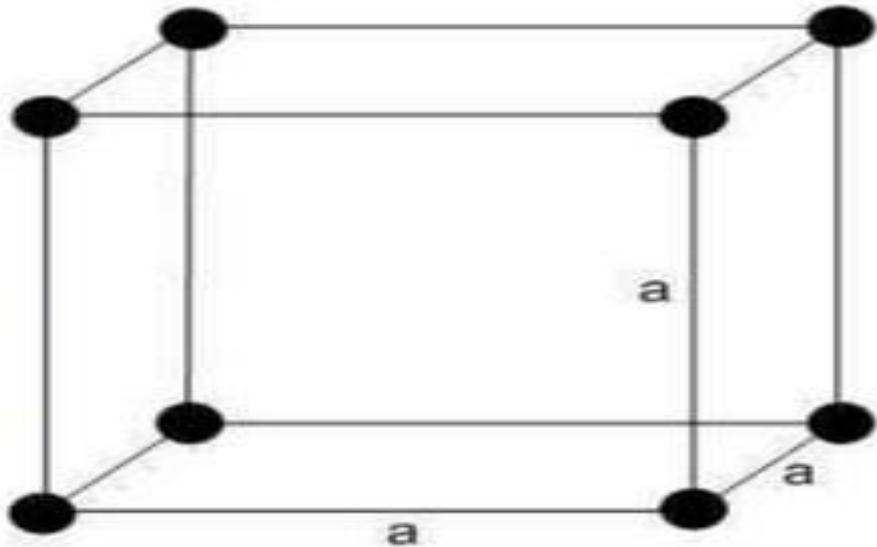
Body-centered cubic



Face-centered cubic

- **SIMPLE CUBIC (SC)**

## **Arrangement of Identical Spheres in a simple Cubic Cell**

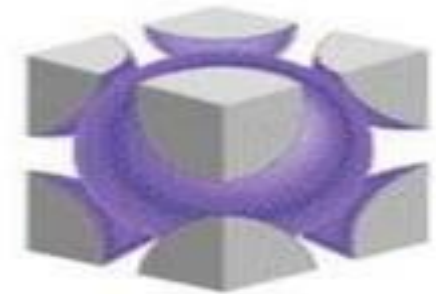
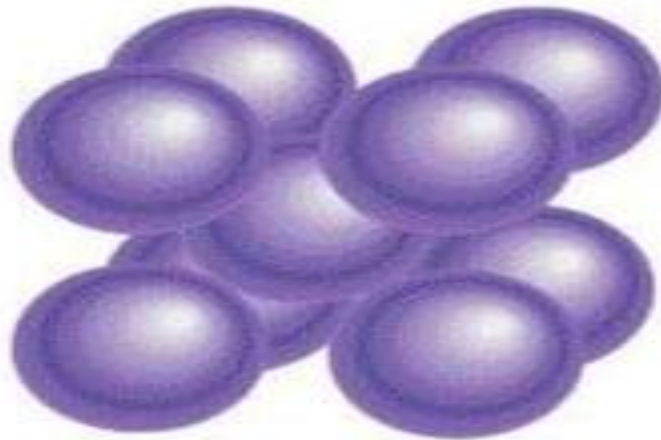
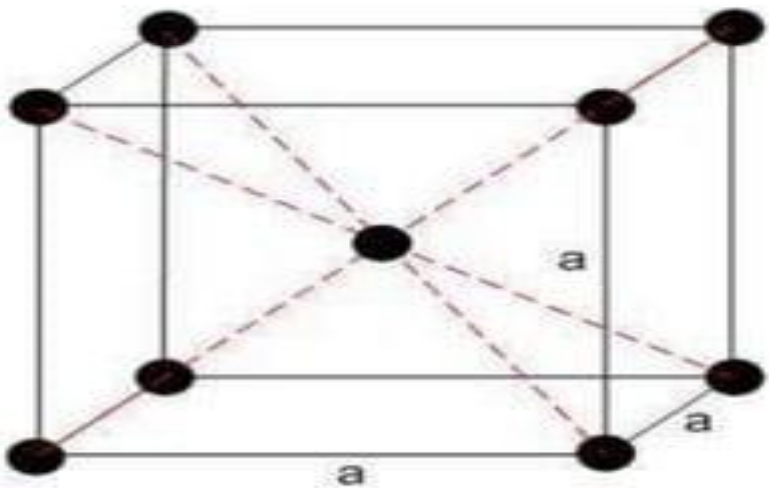


Total no. of atom per simple cubic cell is  
 $8(1/8) = 1$  atom

- **BODY CENTERED CUBIC (BCC)**

## Arrangement of Identical Spheres in a Body-Centered Cube

Body Centered  
Cubic



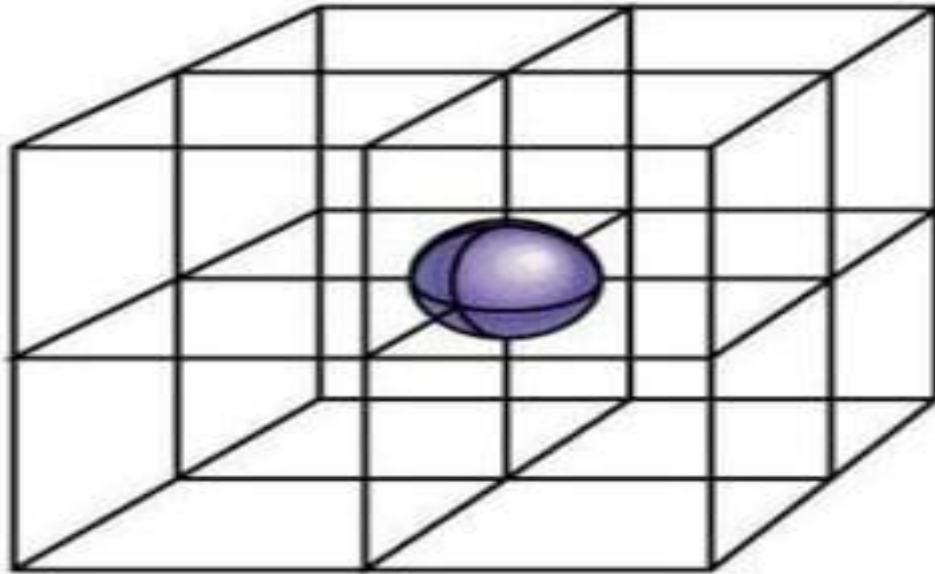
Total no. of atom per BCC unit cell is  
 $8(1/8)+1 = 2$  atom



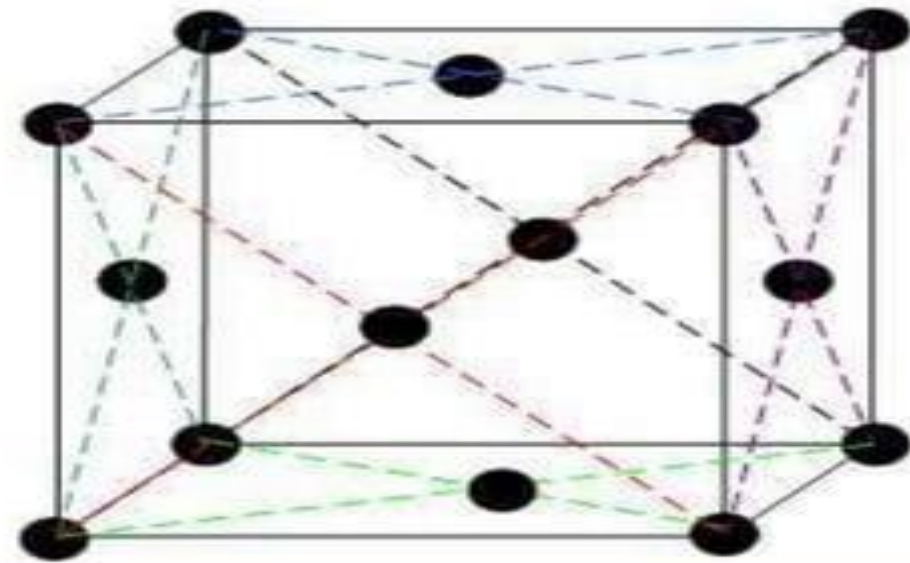
- FACE CENTERED (FCC)

## A Corner Atom and a Face-Centered Atom

Face Centered Cubic



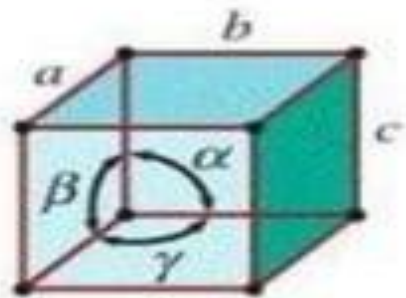
Shared by **8**  
unit cells



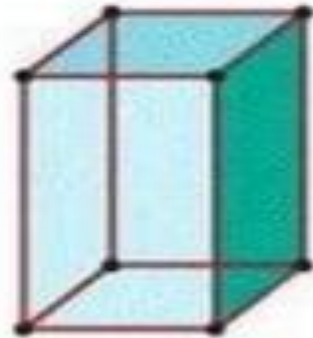
Total no. of atom per FCC unit cell is

$$8(1/8) + 6(1/2) = 4 \text{ atom}$$

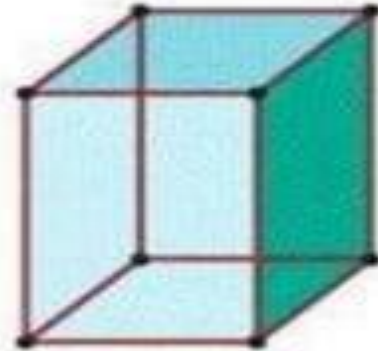
- There are seven unique arrangements, known as crystal systems, which fill in a three dimensional space.



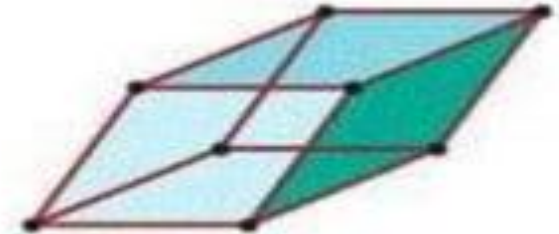
**Simple cubic**  
 $a = b = c$   
 $\alpha = \beta = \gamma = 90^\circ$



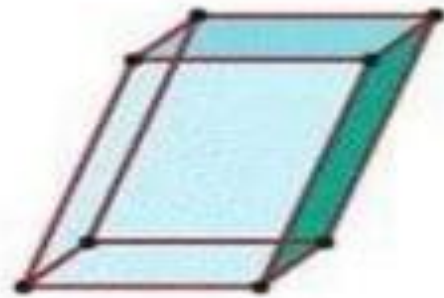
**Tetragonal**  
 $a = b \neq c$   
 $\alpha = \beta = \gamma = 90^\circ$



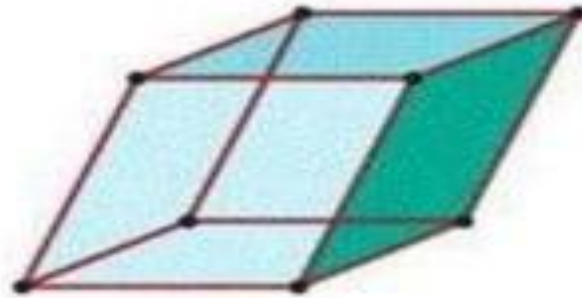
**Orthorhombic**  
 $a \neq b \neq c$   
 $\alpha = \beta = \gamma = 90^\circ$



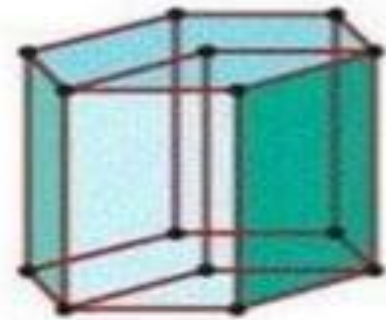
**Rhombohedral**  
 $a = b = c$   
 $\alpha = \beta = \gamma \neq 90^\circ$



**Monoclinic**  
 $a \neq b \neq c$   
 $\alpha = \gamma = 90^\circ, \beta \neq 90^\circ$

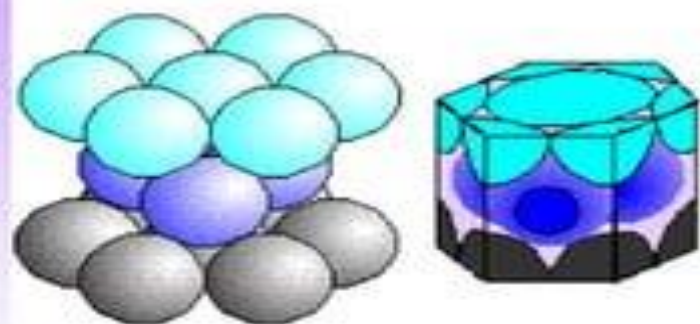


**Triclinic**  
 $a \neq b \neq c$   
 $\alpha \neq \beta \neq \gamma \neq 90^\circ$



**Hexagonal**  
 $a = b \neq c$   
 $\alpha = \beta = 90^\circ, \gamma = 120^\circ$

# Hexagonal structure

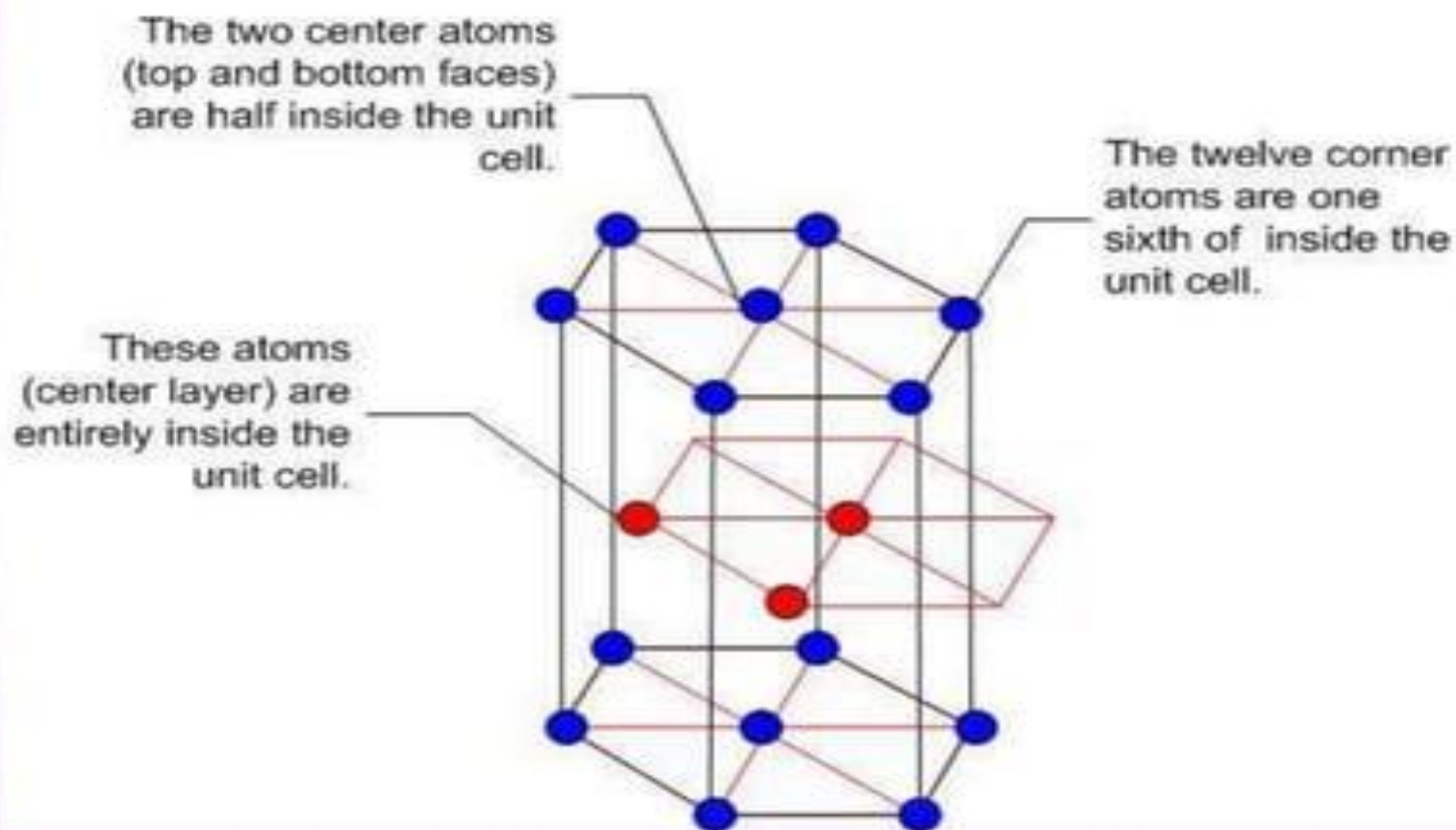


Hexagonal Structure



Quartz is the example of hexagonal close pack solid

## Hexagonal Close Pack Unit Cell



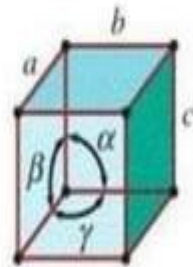
This means that a total of  $12(1/6) + 2(1/2) + 3 = 6$  atoms are inside the unit cell

# THE 7 CRYSTAL SYSTEMS

## 1. Cubic Crystals

$$a = b = c$$

$$\alpha = \beta = \gamma = 90^\circ$$

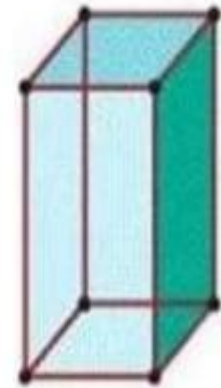


Simple cubic  
 $a = b = c$   
 $\alpha = \beta = \gamma = 90^\circ$

## 2. Tetragonal Crystals

$$a = b \neq c$$

$$\alpha = \beta = \gamma = 90^\circ$$



Tetragonal  
 $a = b \neq c$   
 $\alpha = \beta = \gamma = 90^\circ$



Fluorite  
*Octahedron*



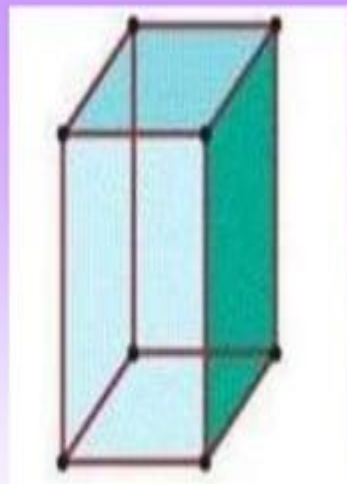
Pyrite  
*Cube*



Zircon

### 3. Orthorhombic Crystals

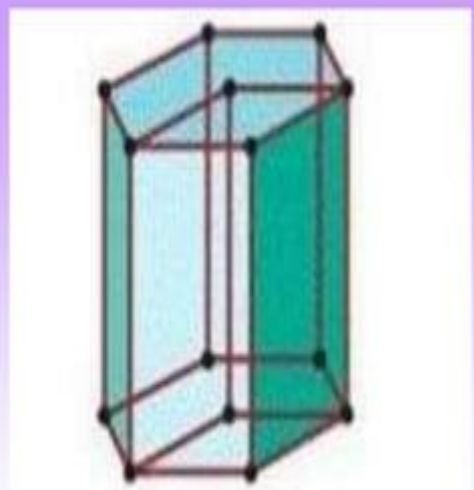
$$a \neq b \neq c$$
$$\alpha = \beta = \gamma = 90^\circ$$



**Orthorhombic**  
 $a \neq b \neq c$   
 $\alpha = \beta = \gamma = 90^\circ$

### 4. Hexagonal Crystals

$$a = b \neq c$$
$$\alpha = \beta = 90^\circ \quad \gamma = 120^\circ$$



**Hexagonal**  
 $a = b \neq c$   
 $\alpha = \beta = 90^\circ, \gamma = 120^\circ$

### Topaz

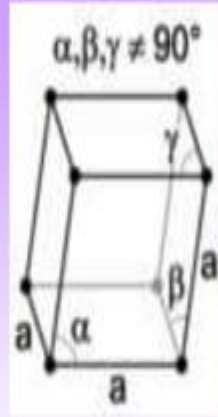


**Corundum**

## 5. Rhombohedral Crystals

$$a = b = c$$

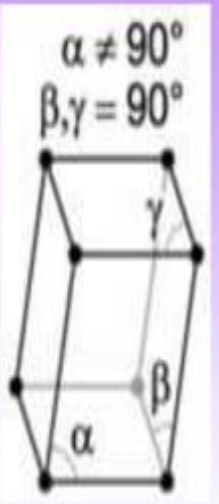
$$\alpha, \beta, \gamma \neq 90^\circ$$



## 6. Monoclinic Crystals

$$a \neq b \neq c$$

$$\alpha \neq 90^\circ, \beta, \gamma = 90^\circ$$



**Tourmaline**



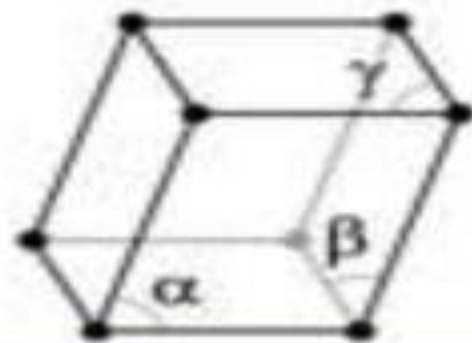
**Kunzite**

## 7. Triclinic Crystals

$$a \neq b \neq c$$

$$\alpha \neq \gamma \neq \beta$$

$$\alpha, \beta, \gamma \neq 90^\circ$$



**Amazonite**

No.	Crystal System	Axes	Angles	Examples
1.	Cubic	$a = b = c$	$\alpha = \beta = \gamma = 90^\circ$	Fe, Cu, NaCl, NaBr, Diamond
2.	Tetragonal	$a = b \neq c$	$\alpha = \beta = \gamma = 90^\circ$	Sn, SnO <sub>2</sub> , MnO <sub>2</sub> , NH <sub>4</sub> Br
3.	Orthorhombic	$a \neq b \neq c$	$\alpha = \beta = \gamma = 90^\circ$	Iodine, KNO <sub>3</sub> , Rhombic sulphur
4.	Rhombohedral	$a = b = c$	$\alpha = \beta = \gamma \neq 90^\circ < 120^\circ$	Bi, Al <sub>2</sub> O <sub>3</sub> , NaNO <sub>3</sub> , KNO <sub>3</sub>
5.	Hexagonal	$a = b \neq c$	$\alpha = \beta = 90^\circ, \gamma = 120^\circ$	Graphite, ZnO, CdS
6.	Monoclinic	$a \neq b \neq c$	$\alpha = \gamma = 90^\circ, \beta > 90^\circ$	Sugar, Sulphur, Borax
7.	Triclinic	$a \neq b \neq c$	$\alpha \neq \beta = \gamma \neq 90^\circ$	H <sub>3</sub> BO <sub>3</sub> , K <sub>2</sub> Cr <sub>2</sub> O <sub>7</sub> , CuSO <sub>4</sub> .5H <sub>2</sub> O